

# Bariery rozszczepieniowe najcięższych jąder

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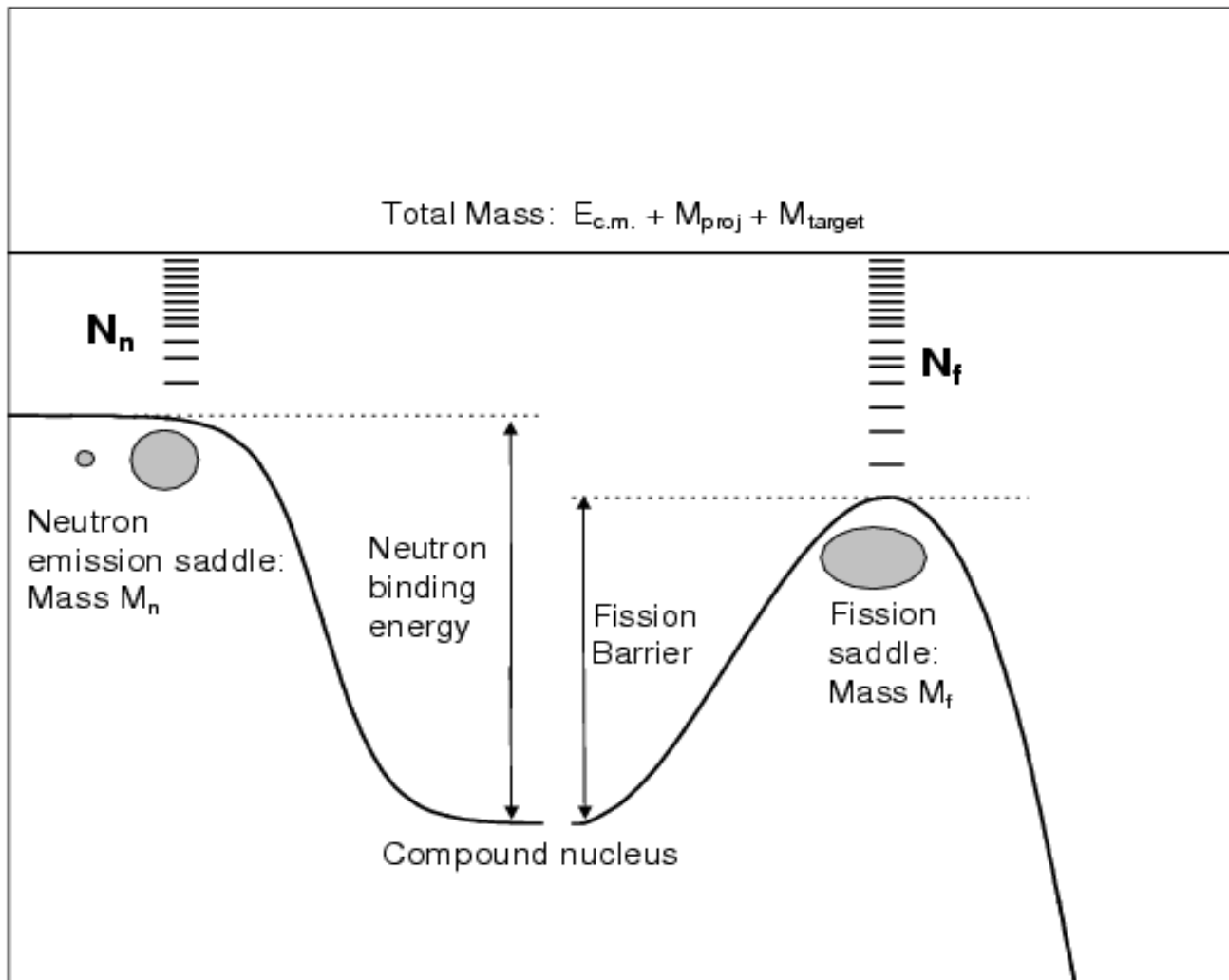
Instytut Problemów Jądrowych

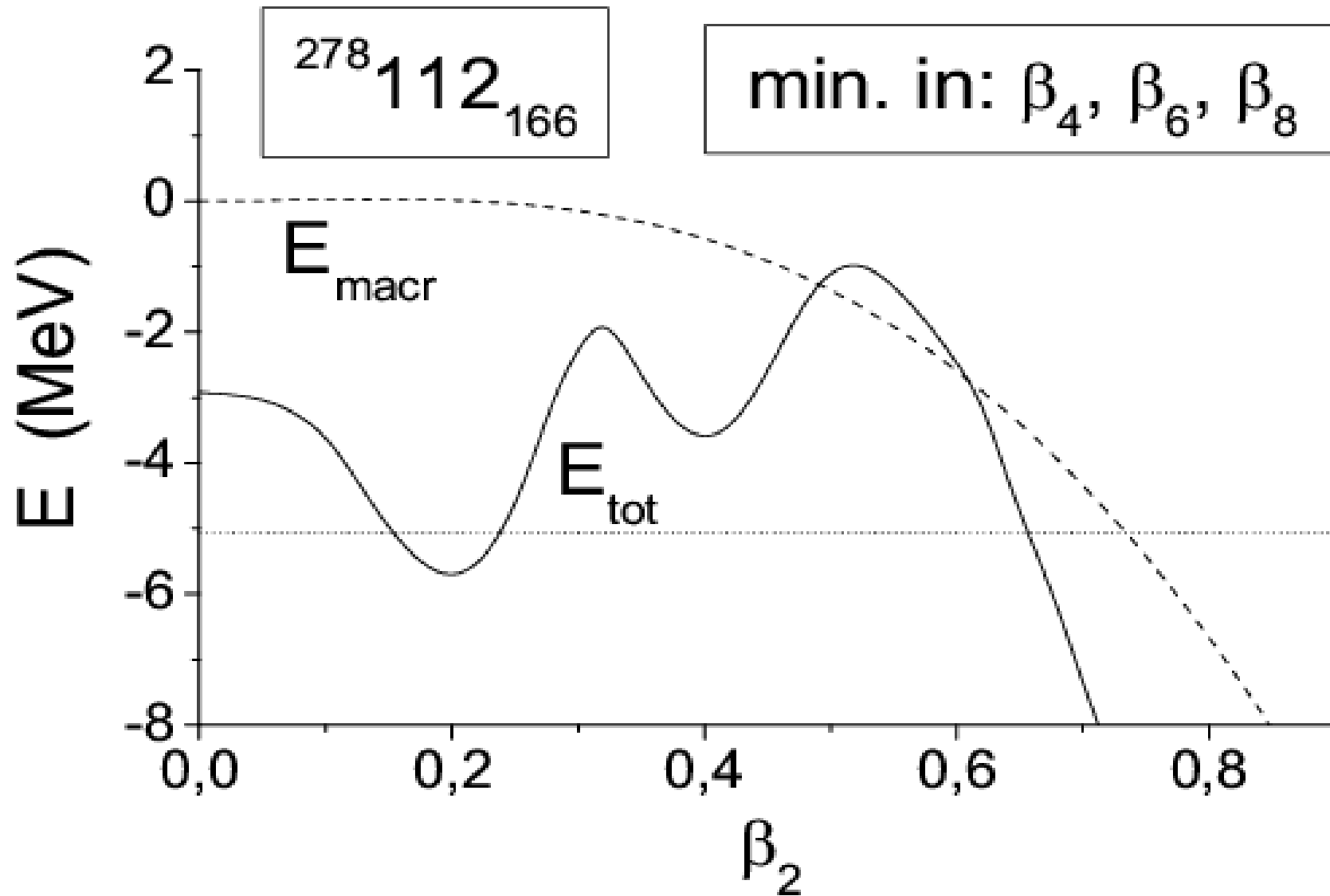
- I. Wstęp
- II. Metoda obliczeń
- III. Przestrzeń deformacji
- IV. Wyniki i dyskusja
  - 1. Deformacja jądra w punktach równowagi i siodłowym oraz jej wpływ na  $B_f$
  - 2. Efekt struktury powłokowej na energię pot. jądra w punktach równowagi i siodłowym
- V. Wnioski

# I. Introduction

1. Two main problems with heaviest nuclei (HN):
  - **cross sections  $\sigma$**  ( $\sim 1 \text{ pb} \rightarrow \sim 50 \text{ fb}$ )  $\leftarrow B_f^{\text{st}}$
  - **half-lives**
2. Present state of HN (map of HN)
3. Role of  $B_f^{\text{st}}$  -
  - **sensitivity of  $\sigma$  to  $B_f^{\text{st}}$**
  - **a need for a large accuracy of  $B_f^{\text{st}}$**
4. Two configurations important for  $B_f^{\text{st}}$ 
  - **eq. and s.p.** (example of fission barrier)







The barrier: **thin but high,**  
**created totally by shell effects**

$$R(\vartheta, \varphi) = R_0 \left\{ 1 + \beta_2 \left[ \cos \gamma_2 Y_{20} + \sin \gamma_2 Y_{22}^{(+)} \right] \right. \\ \left. + \beta_4 Y_{40} + \beta_6 Y_{60} + \beta_8 Y_{80} \right. \\ \left. + \beta_3 Y_{30} + \beta_5 Y_{50} + \beta_7 Y_{70} \right\},$$

## II. Method

Macro-micro (same as used for description of many properties of HN)

$$E_{\text{tot}} = E_{\text{macr}} + E_{\text{micr}}$$

$$E_{\text{macr}} = \text{Yukawa} + \text{exp}$$

$$E_{\text{micr}} = \text{shell corr.}$$

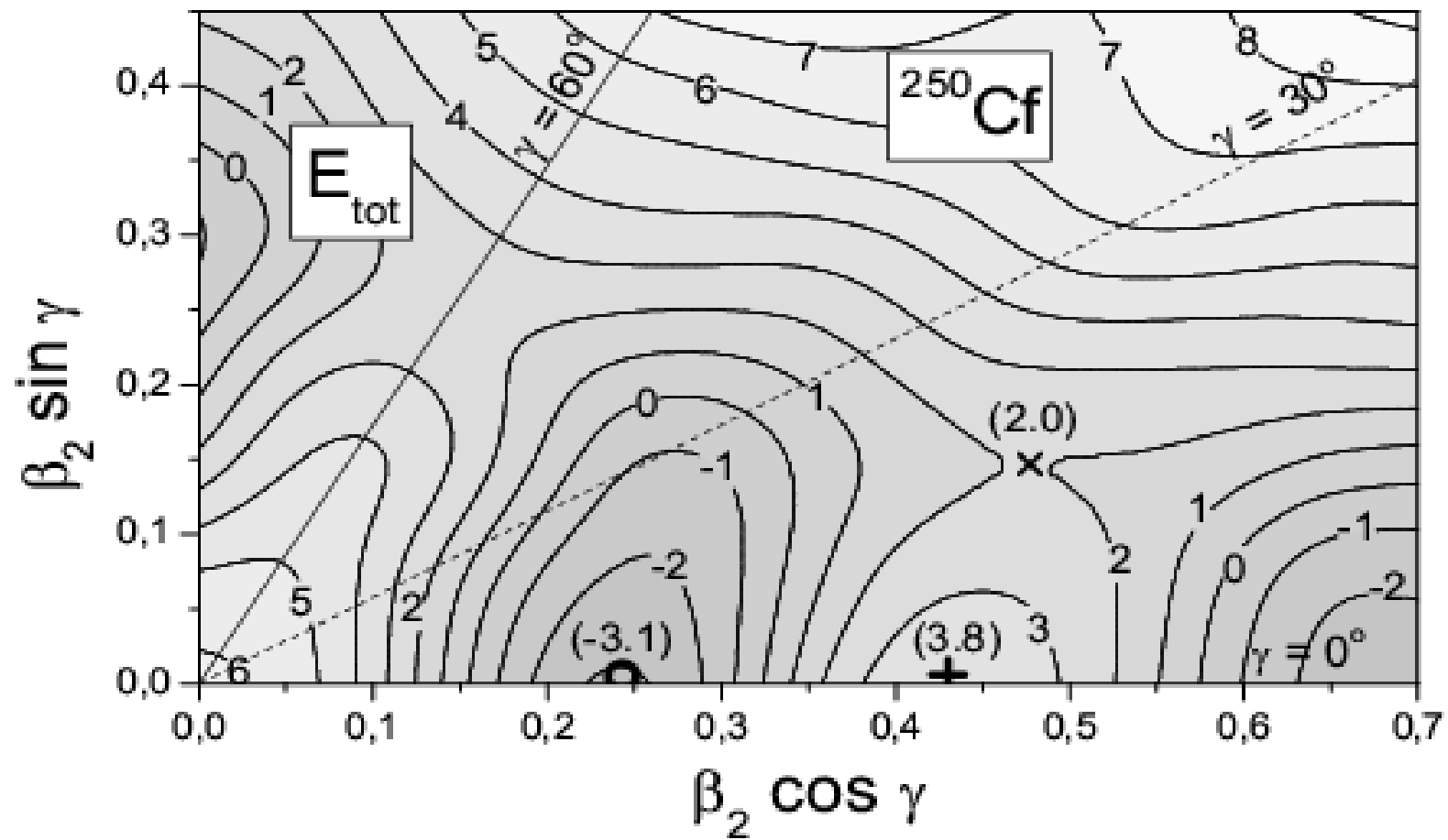
## III. Deformation space

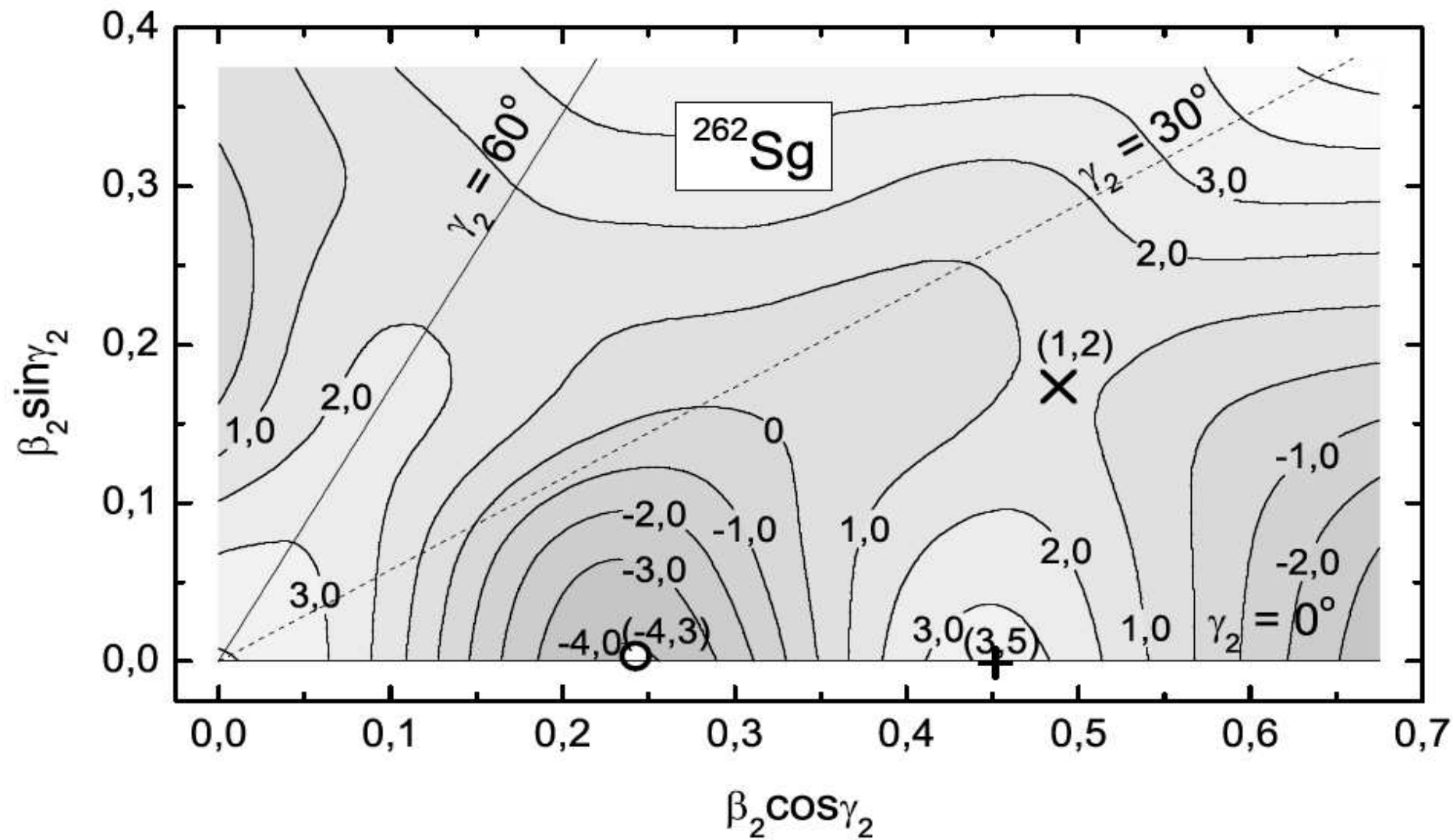
1. As large as possible
2. Larger space, better description of the properties  
(e.g. mass, especially  $B_f^{\text{st}}$  and  $T_{\text{sf}}$ )
3. Specification of the space: **axial**, **non-axial** and **reflection-asymmetric**  
shapes included

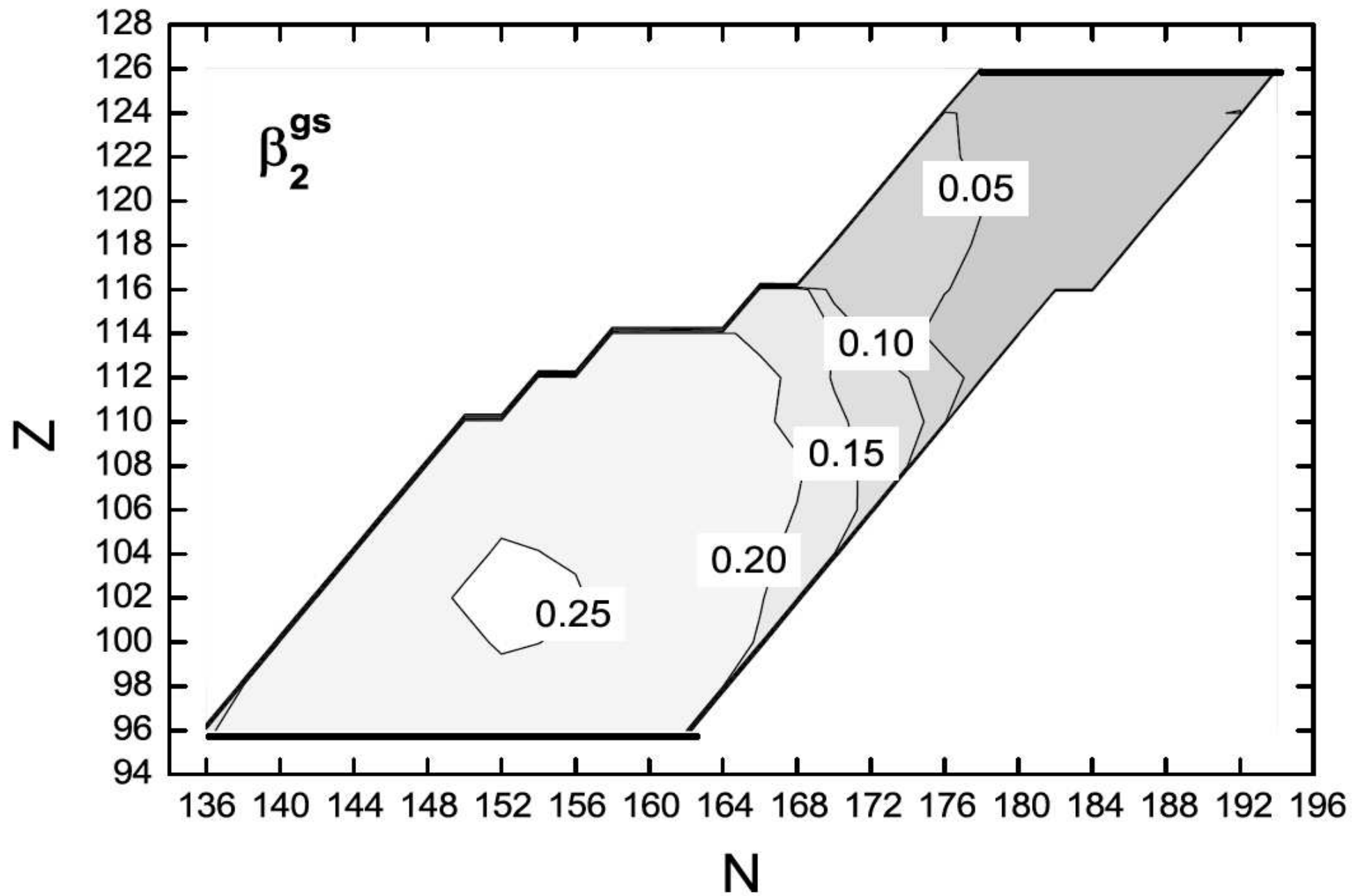
## IV. Results

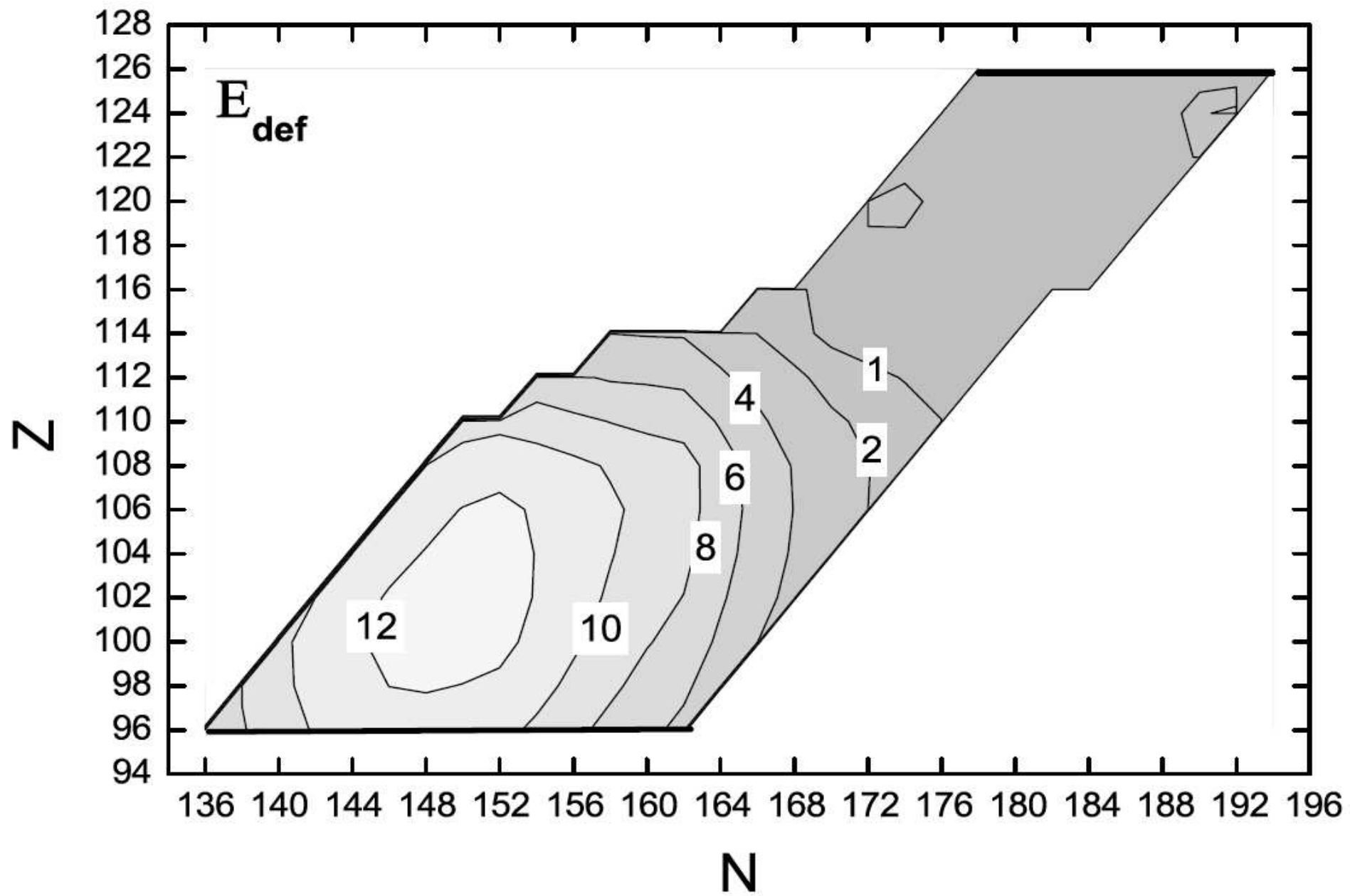
1. Examples of the potential energy maps:  $^{250}\text{Cf}$ ,  $^{262}\text{Sg}$ 
  - axial sym. of eq. conf.
  - generally non-axial s.p. shapes
  - effect of non-axiality may be large
  
2. Shapes at eq. and s.p. conf.
  
3. Shell correction
  - at eq. conf.
  - at s.p. conf. (although smaller than at eq., it is still large, up to about 2.5 MeV)

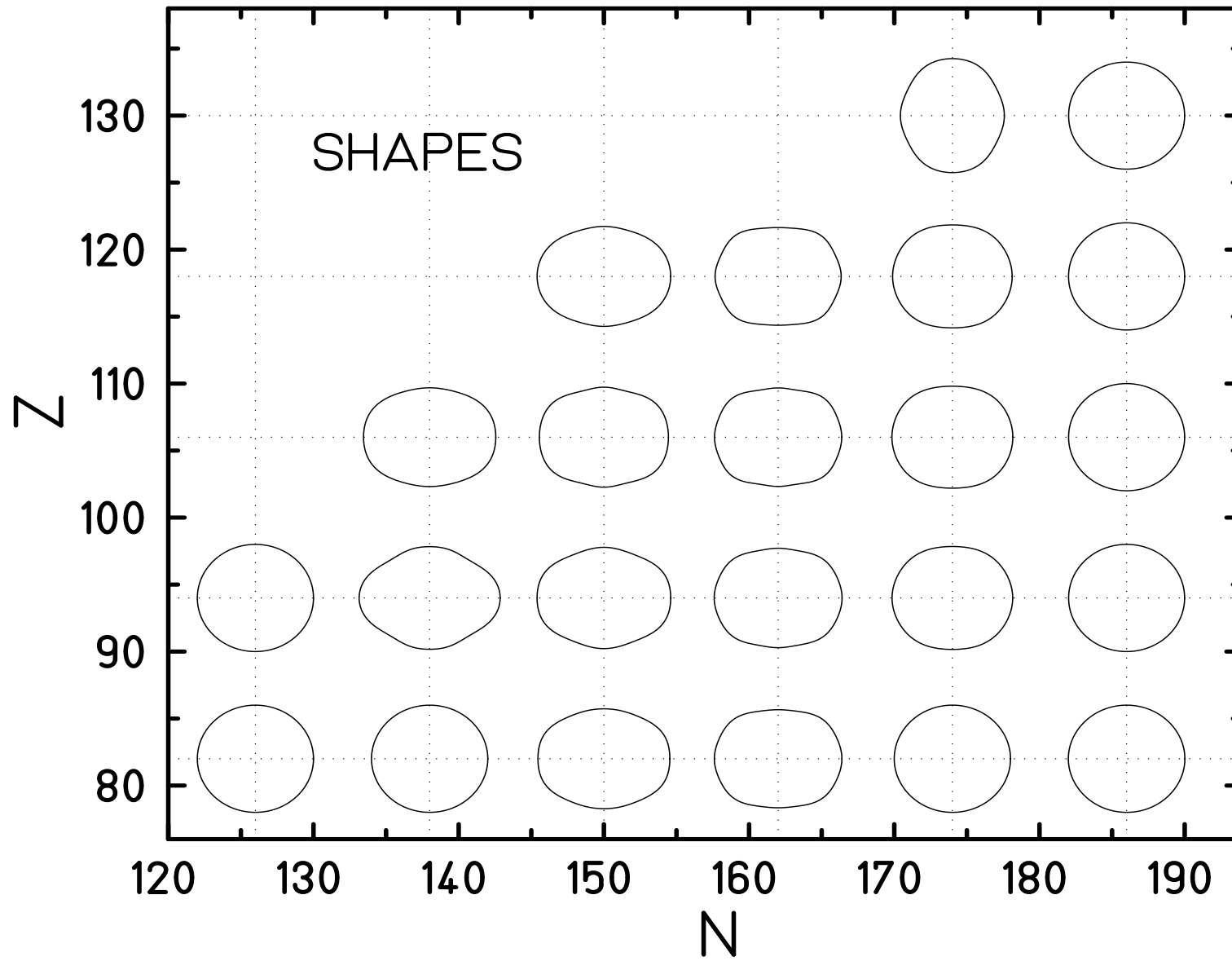


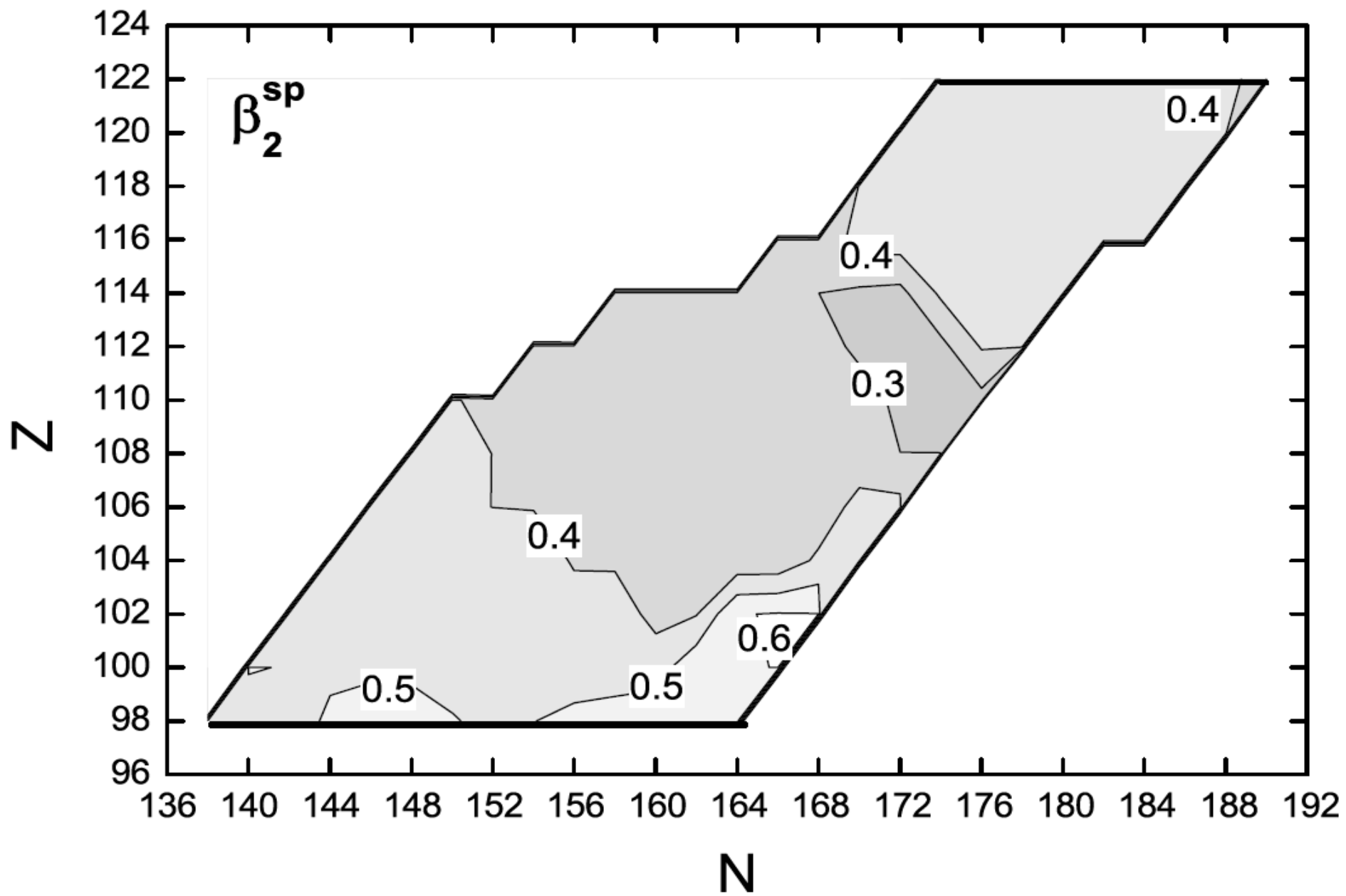


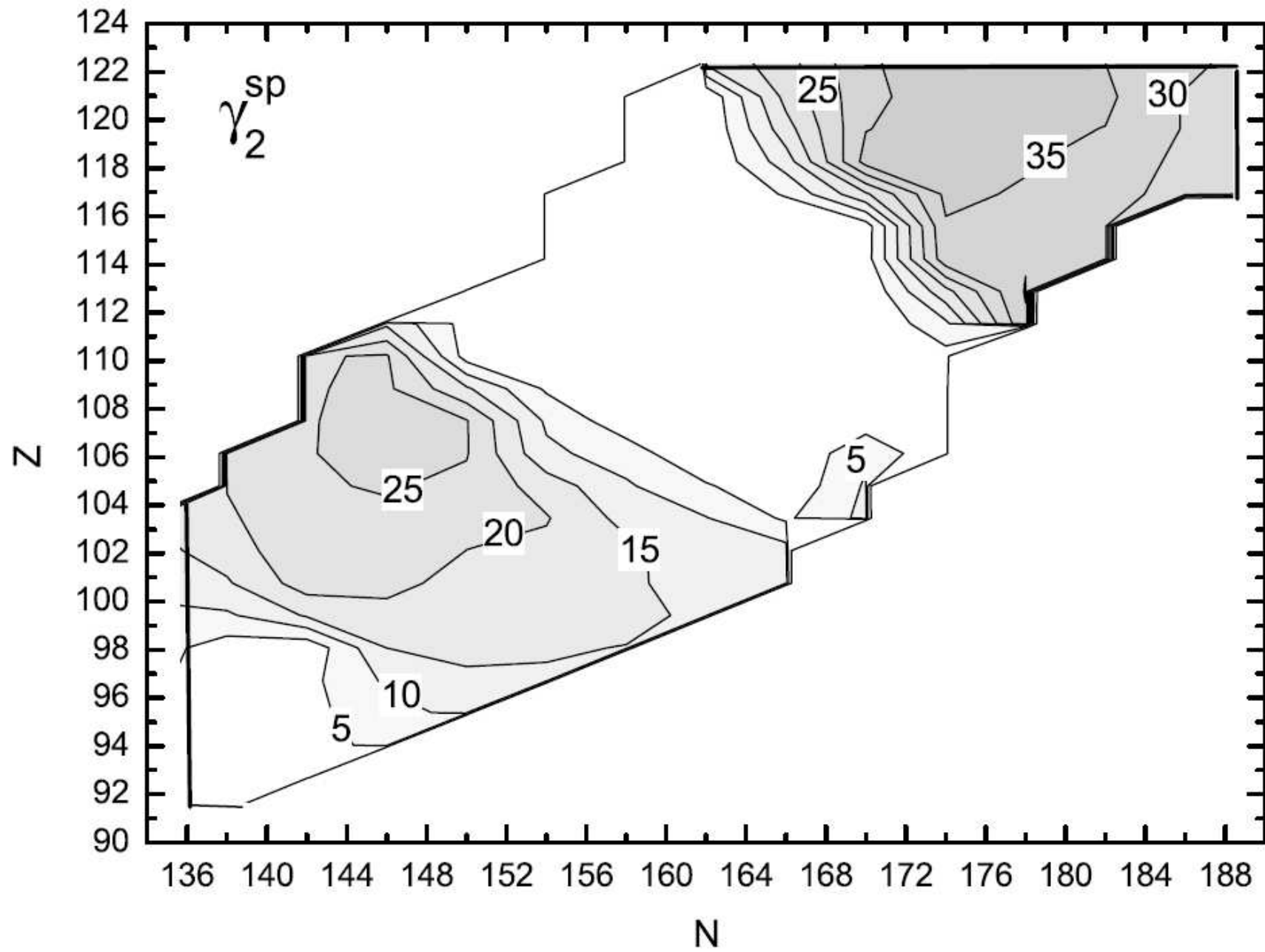


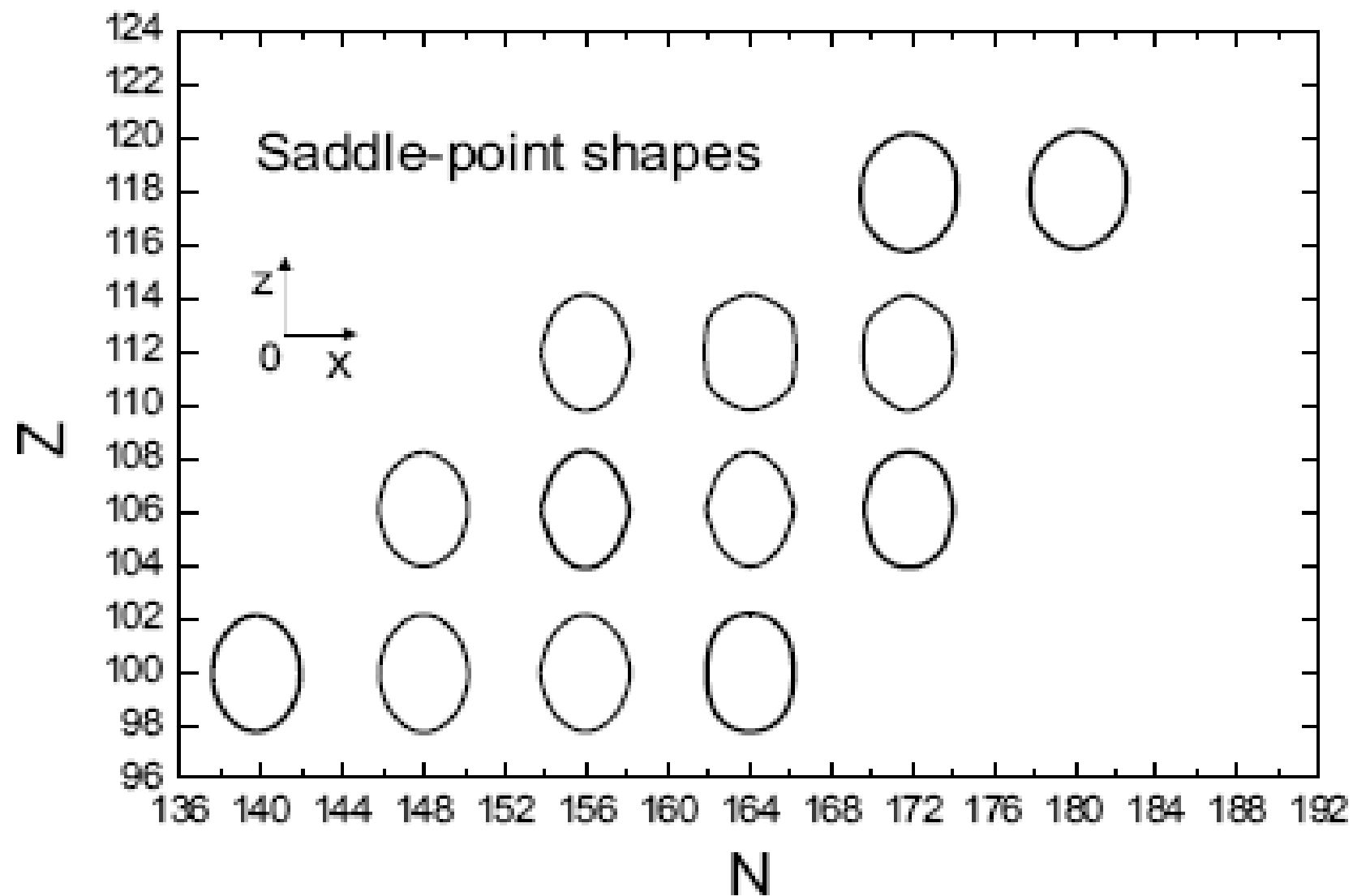




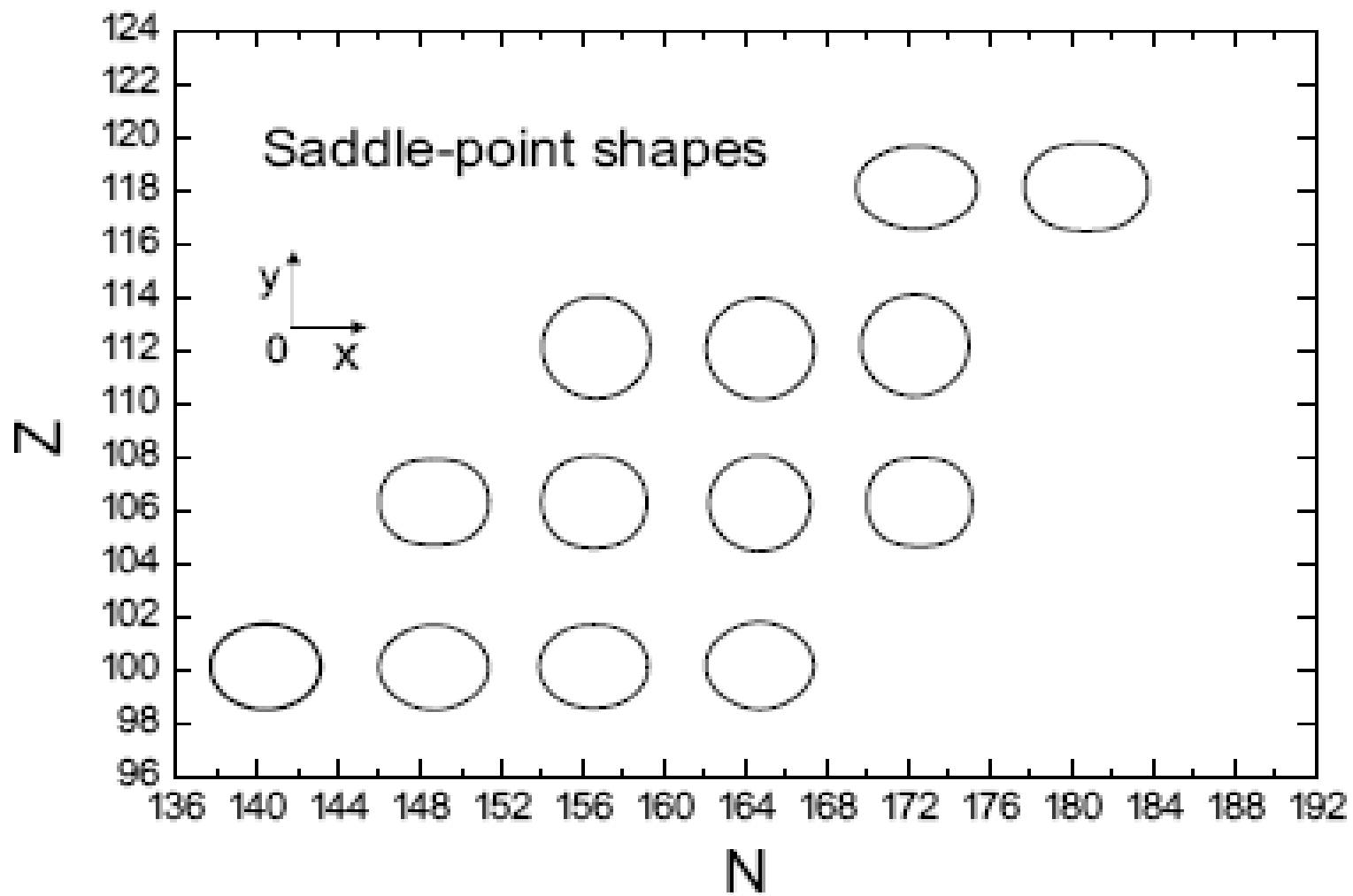


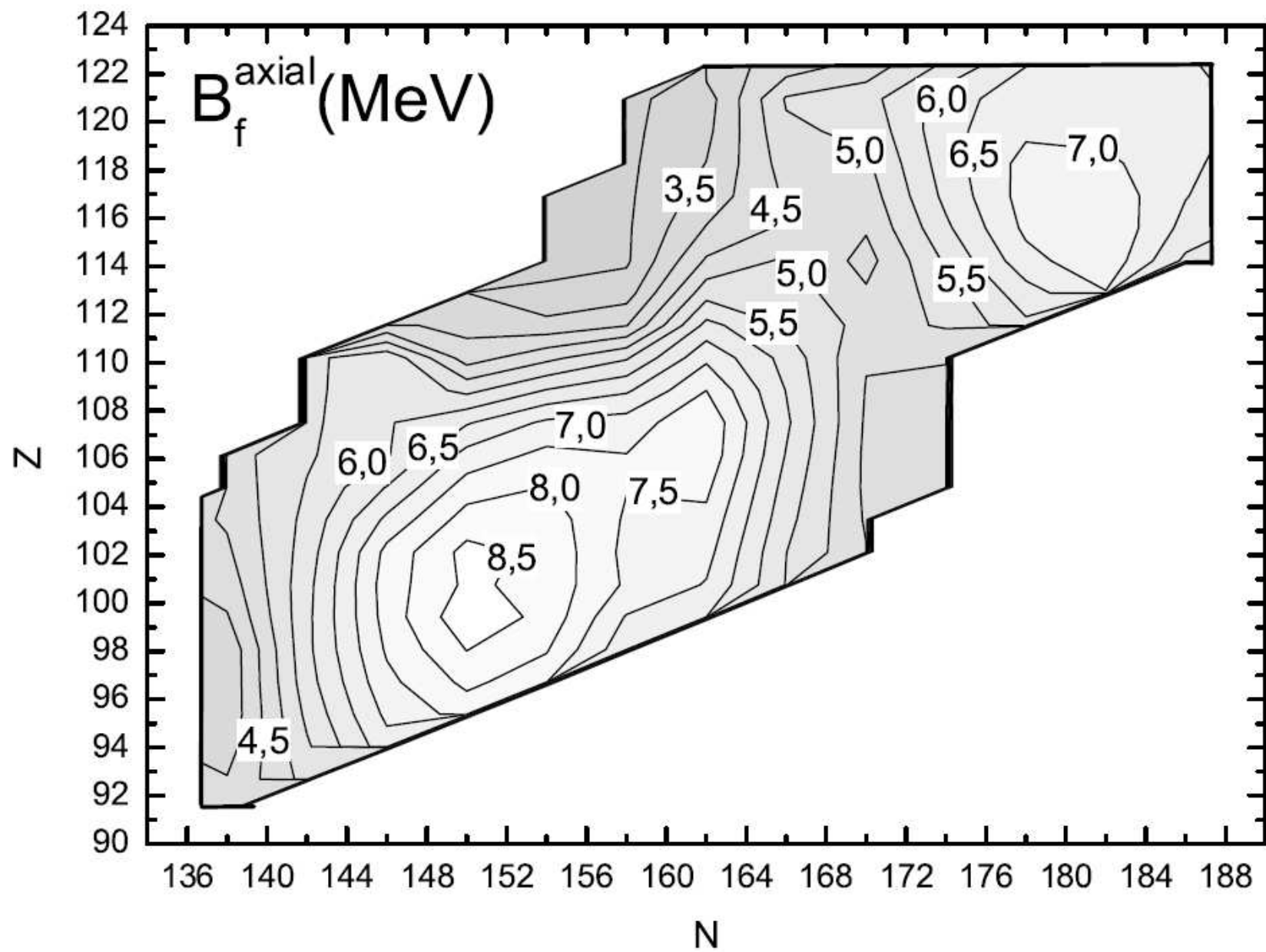


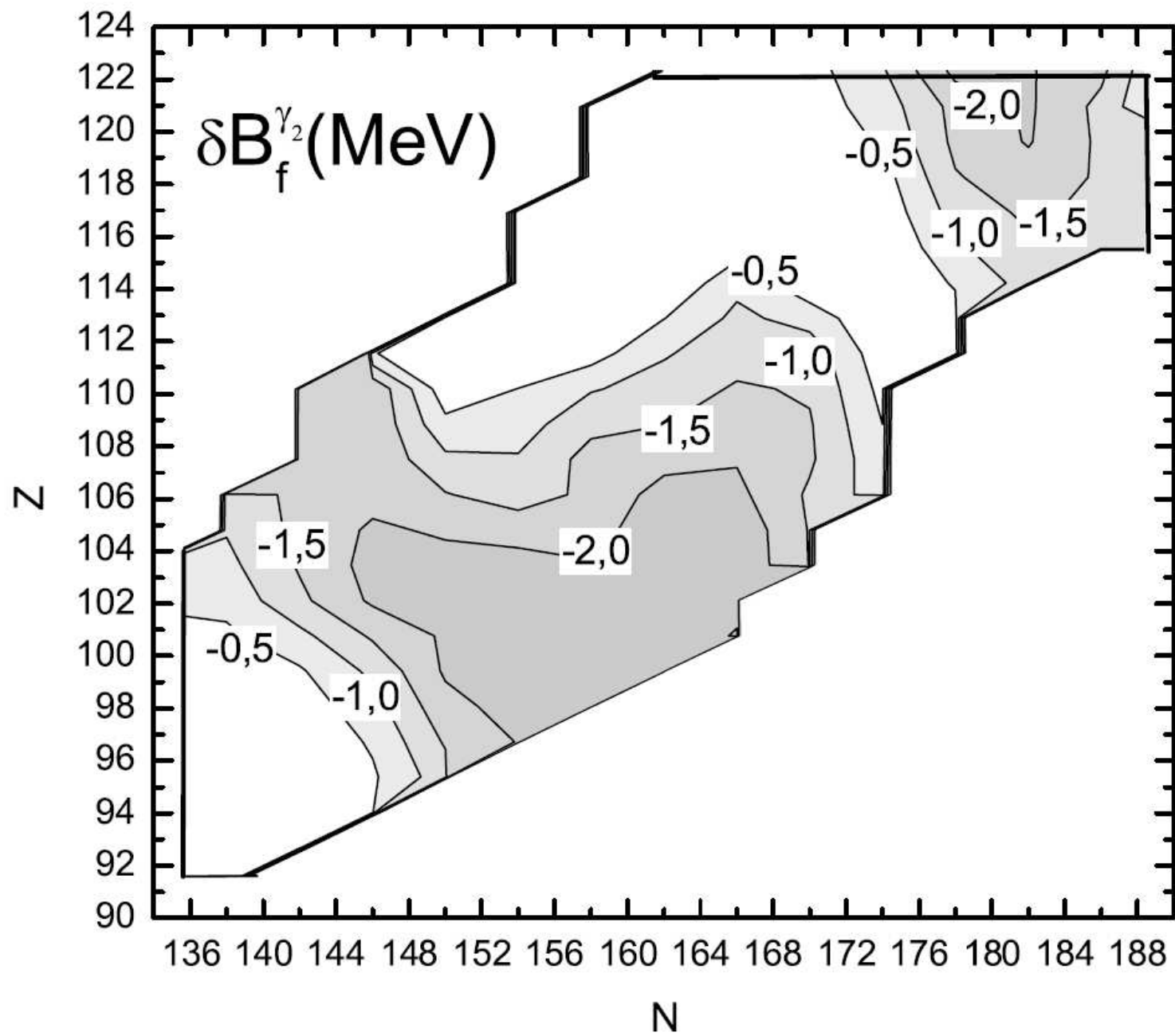


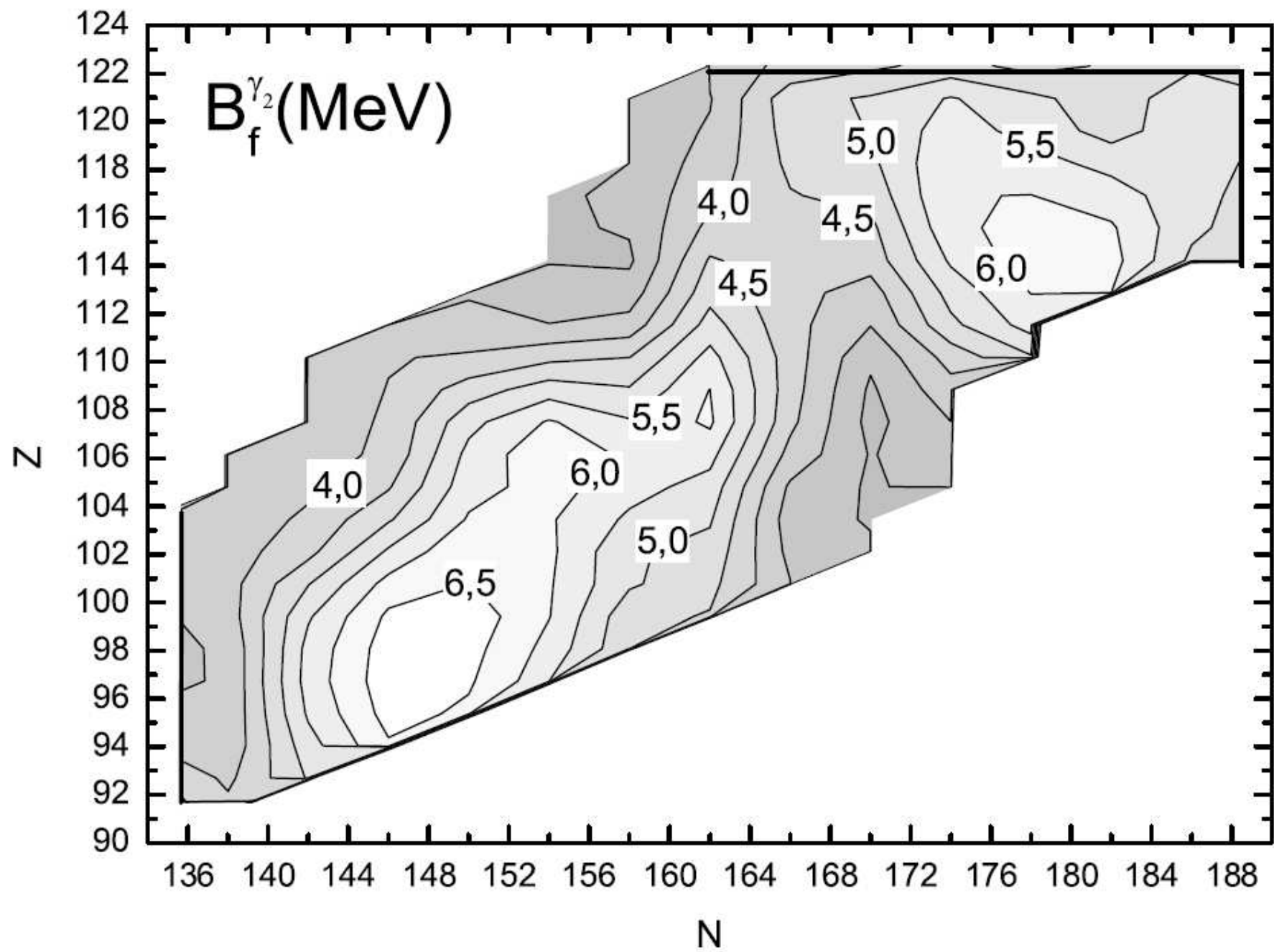


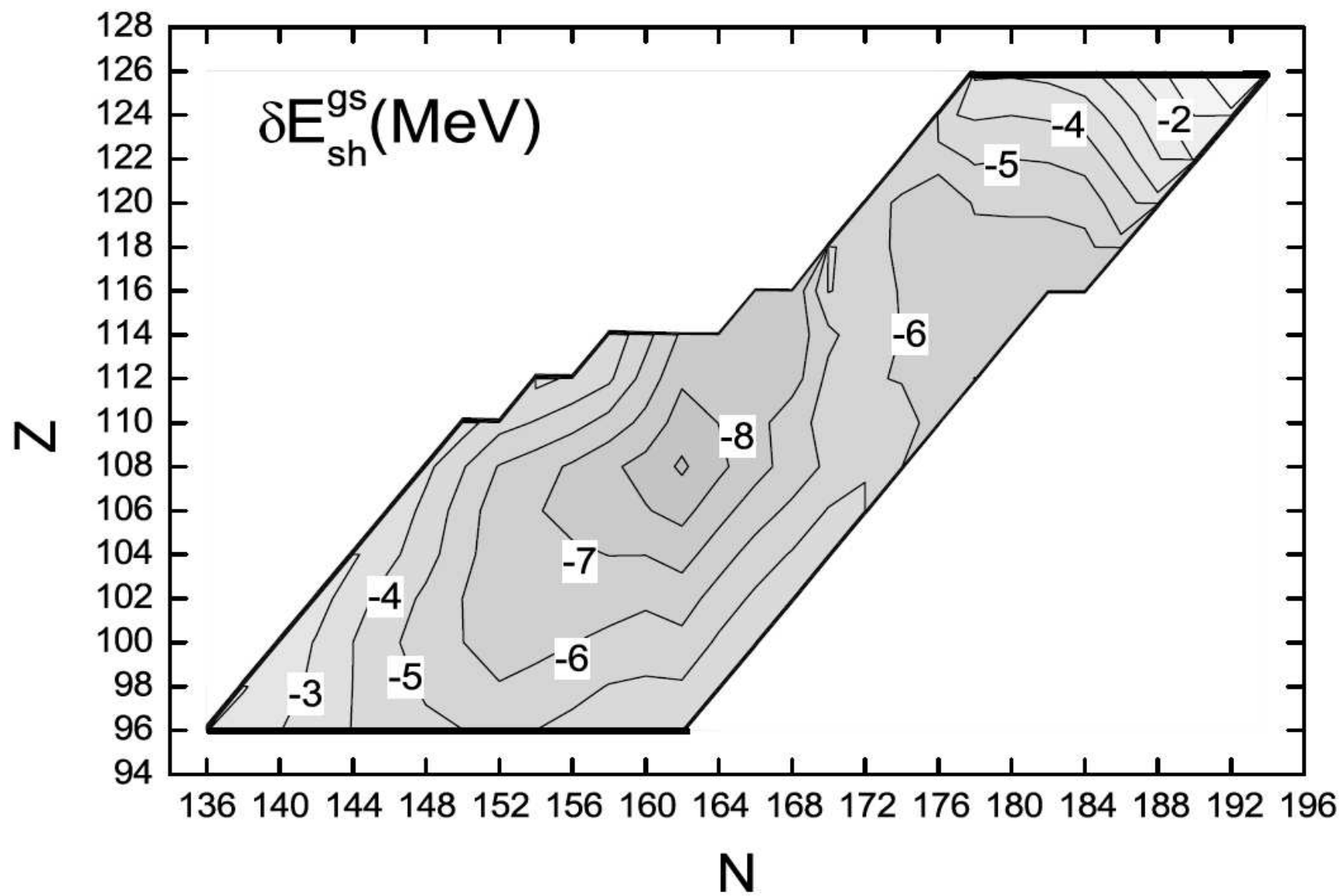


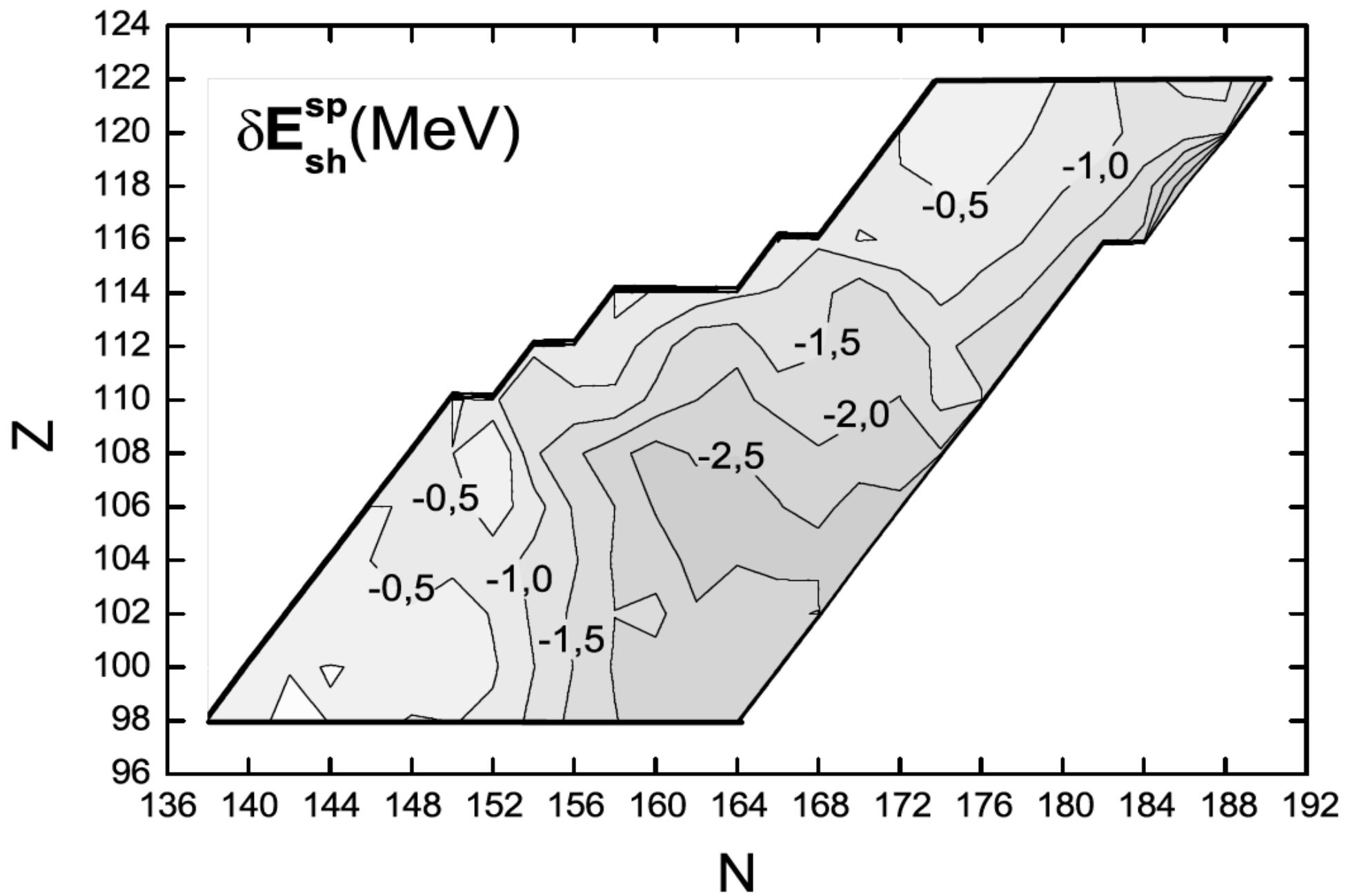












# Conclusions

1. **Shapes and shell correction of HN have been studied at two configurations: equil. (ground state) and saddle point.**
2. **For an accurate study, a large deformation space is needed (10-dimensional space has been used).**
3. **Equil. config.:**
  - the shapes are axially- and reflection-symmetric for all studied nuclei
  - shell correction is large (up to about 9 MeV for a doubly magic def. nucleus with  $Z=108$ ,  $N=162$  and a spherical one with  $Z=114$ ,  $N=184$ ).
4. **Saddle-point config.:**
  - shapes are generally non-axial, but reflection sym.; only lighter nuclei (around uranium and below) are reflection asym. at their saddle point.
  - shell corr., although smaller than at equil., is still large (up to about 2.5 MeV). It should not be disregarded (as quite often done).
  - effect of non-axiality is large, up to more than 2 MeV. This is a big effect, if one keeps in mind that a 1 MeV change in  $B_f^{st}$  changes the calculated  $\sigma$  by one order of magnitude or even more.